

Forces

Tuesday, December 07, 2010 1:59 PM

A force is any **push** or **pull**. Forces are measured in units of NEWTONS. (N)

Force of gravity (F_g) [near Earth's surface]

$F_g = m g$ m is mass of object in kg, g acceleration due to gravity (9.8 m/s^2)

$F = ma$

Normal Force (F_n)

F_{net}

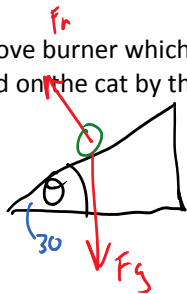
Supporting force exerted by a surface AT **90°** to the surface which holds a mass in place

$F_n = F_g \cos \theta$ where θ is the angle of the surface

$F_n = F_g$

A 3.0 kg cat is placed on a stove burner which is red hot and inclined at 30° .

What normal force is exerted on the cat by the burner? *Fictitious Force*



$$F_n = F_g \cos \theta$$

$$= 3(9.8) \left(\frac{\sqrt{3}}{2}\right)$$

$$= 25.5 \text{ N}$$

Force of Friction (F_f)

This is the force which resists motion due to the grinding together of molecules.

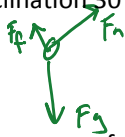
$F_f = \mu F_n$

μ is called the coefficient of friction => is a value which describes how sticky 2 surfaces are

A cat of mass 5.0 kg is on a ramp of inclination 30° with coefficient of friction 1.5 find F_f



$\mu = 1.5$



$F_f = \mu F_n$

$$= \mu m g \cos \theta$$

$$= 1.5 (5) (9.8) \left(\frac{\sqrt{3}}{2}\right) = 63.7 \text{ N}$$

Dry roads have $\mu = 0.60$, how many times more force of friction is on a dry road than a wet road, you rifferaff!?! :-)

\approx double

Elastic Force (F_e)

This is the force which acts to restore the shape of a deformed object

$F_e = kx$

k spring constant (N/m) and high values (10000's) show a really stiff object

low values (10's) show really stretchy objects.

X is the distance you stretch or compress the object in METERS.

Elastic limit => the point when an object displays plastic behaviour => stretches but doesn't bounce back

Brittle behaviour => occurs after plastic behaviour when the object fails (breaks)

A rubber band of length 0.15 m and spring constant 12 N/m experiences a force of 5.0 N. What is

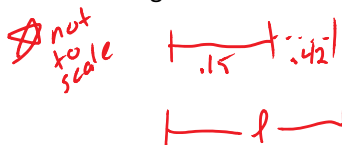
a) The amount it stretches

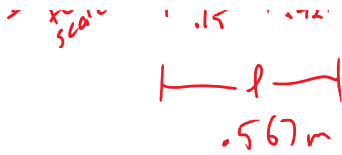
$$F_e = kx$$

$$5.0 = 12x$$

$$\frac{5}{12} = x = .42 \text{ m}$$

b) The new length





The Force of Gravity Between ANY 2 masses:

$F_g = mg$ works for finding the force of gravity between 1 mass and Earth near Earth's surface

We cannot use this if: 1) the force of gravity does not involve the Earth
2) we're not near* the Earth's surface

*near = 10 km or less

If the F_g is between 2 masses and one is NOT the Earth or you're far from Earth we use

NEWTON'S LAW OF UNIVERSAL GRAVITATION

$$F_g = \frac{Gm_1m_2}{d^2}$$

G = universal gravitational constant = $6.67 \times 10^{-11} \text{ N m}^2 / \text{kg}^2$

m_e = mass of Earth = $5.98 \times 10^{24} \text{ kg}$

d = distance between the CENTRES of the masses (for a planet use its radius)

r_e = radius of the Earth $6.38 \times 10^6 \text{ m}$

Calculate the force of gravity on you (68 kg) on the moon, where $r_m = 1.74 \times 10^6 \text{ m}$, and $m_m = 7.35 \times 10^{22} \text{ kg}$.

$$\begin{aligned}
 F_g &= \frac{G m_1 m_2}{r^2} \\
 &= \frac{6.67 \times 10^{-11} (68)(7.35 \times 10^{22})}{(1.74 \times 10^6)^2} \\
 &= 1.9 \times 10^{-22} \text{ N}
 \end{aligned}$$

Calculate the force of gravity between Mr. Connor (80 kg) and his coffee cup 1.0 kg if the centers are separated by 1.2 m