

If we are given a point, P(x, y), we will have 2 of the three distances that we need to know. We will still need to figure out the distance to the origin, r. The pythagorean theorem will help us here. P(3, 4)

$$h^{2} = 3^{2} + 4^{2}$$
  
= 5



Sin 45

In Quadrant 1 (Q1) the angle  $(\theta)$  and the reference angle  $(\theta_r)$  are the same. For any other quadrant you will use the reference angle to determine the value of the trigonometric ratio then you will need to use logic (or memorization) to determine the sign of the angle.

Let's do one in each quadrant. Find the sine, cosine, and tangent for  $\theta$  in each graph.  $45^{\circ}$   $5'_{2}$  0 = 122 135 135Sin Q Cos Q Ean Q =  $135^{\circ}$ 



Point, P(-8, 15) lies on the terminal arm of an angle  $\theta$ , in standard position. Determine the exact trig ratios for  $sin(\theta), cos(\theta), and tan(\theta)$ .



The point, P(-5, -12) lies on the terminal arm of an angle  $\theta$  in standard position. Determine the exact trigonometric ratios for  $sin(\theta), cos(\theta), and tan(\theta)$ .





Suppose  $\theta$  is an angle in standard position with terminal arm in Q3, and  $\cos(\theta) = -\frac{3}{5}$ . What are the exact values of  $\sin(\theta), \cos(\theta)$ , and  $\tan(\theta)$ ?



